

Constraining Geometric JunoCam Parameters by Locally Accurate RGB Alignment of Single Marble Movie Images

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Abstract

Aligning the centroids of a single RGB "marble movie" JunoCam image for each of the three filters reduces the degrees of freedom of a given camera model by four. Approximate values for the other degrees of freedom of the camera model result in a locally accurate RGB alignment.¹

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1 Introduction

Juno's Education and Outreach camera JunoCam [3] has taken more than ten thousand images of Jupiter in 2016 and 2017, where Jupiter is seen from a distance. The subset of RGB images provides several related approaches for camera calibration. One basic approach reduces the degrees of freedom of a given camera model by four: On the basis of an assumed camera model, for each of the three color channels, the respective x- and y-coordinates of the centroids of a Jupiter "marble" are determined. By a pseudo-Newton method, four chosen camera model parameters are optimised in a way, that deltas for x- any y-coordinates of the centroids are reduced to small subpixel values. This approach is remotely related to the far more advanced calibration methods applied in the Gaia [4] project.

The raw images have been made available periodically on the missionjuno website [5] for processing by the public. Calibration examples in this article are based on Perijove-08 approach images.

JunoCam was built and is operated by Malin Space Science Systems (MSSS) in San Diego/California.

2 Considered Camera Parameters

The calibration method described in this article is independent of the specific camera model. Nevertheless, this section sketches a camera model, since actual calibration runs have been performed on the basis of a specific family of camera models.

Pixels are assumed to be rectangular tiles of equal size forming a periodic grid. Lengths are expressed in terms of the width of a pixel, since absolute lengths cannot be determined with the means of the described calibration method.

The calibration method assumes Jupiter's distance to be infinite. With this assumption, no navigation data are required, except the spacecraft's rotation. As unit of time, the camera's interframe delay is used. Absolute time isn't required nor assumed to be known.

The considered camera model assumes a spacecraft rotation around one fixed axis, and with a constant angular velocity in terms of interframe delay time units.

The considered family of camera models is assumed to be parameterized by

FramesPerRot defines the number of interframe delay time in units per spacecraft revolution,

ScaleFactor for the green image, it defines the z-distance of the pinhole from the detector plane in units of pixel widths,

CenterX defines the x-position of the optical axis in units of pixel widths relative to the left-most pixel row,

CenterY defines the y-position of the optical axis in units of pixel widths relative to the bottom-most pixel row,

K1 defines the first Brownian [2], [1] radial distortion coefficient,

K2 defines the second Brownian radial distortion coefficient,

RotOffsetZ defines the rotation of the pixel grid around the z-axis in radians relative to the coordinate system induced by the assumed spacecraft rotation axis,

ScaleErrorRed defines the relative error of the red ScaleFactor with respect to the green ScaleFactor,

ScaleErrorBlue defines the relative error of the blue ScaleFactor with respect to the green ScaleFactor,

ScaleErrorY defines the relative error of the pixel height with respect to the pixel width.

The pinhole camera model is applied first, then ScaleErrors, where $1 + \text{ScaleErrorY}$ is multiplied with $1 + \text{ScaleError}$ for red and blue. Brownian radial distortion is applied to the resulting modified pinhole model.

The layout of the readout regions is derived from information as provided in JunoCam's instrument kernel within the collection of Juno SPICE [6] kernels [7].

The following assumptions about the camera model are implicit, but may deviate from physical reality:

1. The optical axis of the camera is assumed to be perpendicular to the rotation axis of the spacecraft.
2. Higher Brownian radial distortion coefficients are assumed to be zero.
3. The Brownian distortion is assumed to be the same for all wavelengths.
4. The optical axis of the camera is assumed to be perpendicular to the detector plane.
5. The spacecraft is assumed to perform no (torque-free) precession, nor oscillations.

Since the calibration method is underdetermined, unconsidered parameters show up as modeled parameters deviating from physical values.

3 Calibration Method

3.1 Jupiter Centroids

Immediately from the respective raw JunoCam "marble movie" RGB image, an RGB image is rendered with double precision floating point arithmetics. For all renditions within a calibration run, the same rendering conventions are applied.

The actual rendering method isn't assumed to be essential in detail. But some properties of the rendering method applied to raws this article is based on are mentioned for completeness:

- Raw data are decomanded according to fixed decomanding map as supplied by MSSS and published in SPICE.
- Camera artifacts are neither corrected, nor invalidated nor patched.
- Images are rendered in spherical coordinates, with spacecraft rotation axis as the symmetry axis of the spherical coordinate system. Longitude/latitudes squares are squares in the rendered image.
- Images used for centroid calculations are rendered with 120 pixels per longitude and latitude degree of the spherical output coordinate system.
- The value of a raw pixel is weighted linearly according to its vertical pixel distance from the according framelet boundary.
- Linear radiometric weights applied to decomanded raw data are 0.82 for red, 1.0 for green, and 2.17 for blue. This may induce a slightly greenish cast.
- Pixels are interpolated in a bilinear way, where only the four nearest-most pixels of the theoretical raw pixel position are used to calculate the weighted mean decomanded value.
- Color channels are not mixed, but each channel is handled separately.
- Calculations are based on decomanded, radiometrically adjusted, and square-root encoded data.

For each of the three color channels the centroid is calculated within a square. The edge length of the square is six times the standard deviation of the distance of the pixel positions to the centroid weighted by reduced pixel brightness. The first draft centroid position is determined within a crop of 12x12 degrees around the largest bright object in a low-resolution (6 pixels per degree) draft rendition of the whole raw image.

The reduced pixel brightness is defined by the input pixel brightness minus a background level, somewhat arbitrarily set to 20.0 in the considered calibration runs. For the final calculation of the centroid positions, the same background level is subtracted, in order to reduce effects by image noise.

The centroid position of each color channel, as well as the standard deviation are calculated with decomanded, radiometrically adjusted, and square-root encoded double-precision floating point data.

Figure 1 shows a raw input image #07C00543, the first RGB image of the perijove-08 approach sequence. Figure 2 shows the low-resolution rendered draft of image #07C00543. Figure 3 shows the copped draft of image #07C00543, which the first accurate centroid calculations can be based on.



Figure 1: Raw perijove-08 approach image JNCE_2017238_07C00543_V01-raw. Credit: NASA / JPL-Caltech / SwRI / MSSS.



Figure 2: Low-resolution draft rendition of perijove-08 approach image JNCE_2017238_07C00543_V01-raw. Credit: NASA / JPL-Caltech / SwRI / MSSS / Gerald Eichstädt.



Figure 3: Cropped rendition of perijove-08 approach image JNCE_2017238.07C00543_V01-raw. This is a copy of the image for centroid calculation. Actual calculations are performed on a double-precision floating point in-memory version. Credit: NASA / JPL-Caltech / SwRI / MSSS / Gerald Eichstädt.

3.2 Applying a Pseudo-Newton Method

For $k \in \mathbf{N}$, and a function

$$F : \mathbf{R}^k \rightarrow \mathbf{R}^k,$$

a Newton method iterates the formula

$$x_{n+1} := x_n - (\mathbf{J}F(x_n))^{-1} \cdot F(x_n). \quad (1)$$

In sufficiently linear cases, with the Jacobi matrix $\mathbf{J}F(x_n)$ sufficiently distinctly regular, and with a good choice of the start value x_0 , this method approximates a zero of F .

Call the pixel positions of the centroids of the red, green, and blue channel of a rendered Jupiter marble movie image (r_x, r_y) , (g_x, g_y) , and (b_x, b_y) . Then the constraint, that the centroids of Jupiter in the three color channels should be at the same pixel position, can be stated as

$$\begin{pmatrix} r_x - g_x \\ r_y - g_y \end{pmatrix} = \begin{pmatrix} 0 \\ 0 \end{pmatrix} \text{ and } \begin{pmatrix} b_x - g_x \\ b_y - g_y \end{pmatrix} = \begin{pmatrix} 0 \\ 0 \end{pmatrix}. \quad (2)$$

Choose four parameters of the chosen parameterized family of camera models, and define F as the function that maps these four parameters to the four alignment errors

$$\begin{pmatrix} r_x - g_x \\ r_y - g_y \\ b_x - g_x \\ b_y - g_y \end{pmatrix} \quad (3)$$

of the resulting Jupiter centroids.

Then, with $k = 4$,

$$F : \mathbf{R}^4 \rightarrow \mathbf{R}^4$$

is formally valid for an application of the Newton method. The Jacobi matrix $\mathbf{J}F(x_n)$ remains to be determined. Instead of an analytical approach, $\mathbf{J}F(x_n)$ is approximated numerically, which makes the method a pseudo-Newton method.

For parameters $p_1, p_2, p_3, p_4 \in \mathbf{R}$, and small $\delta_1, \delta_2, \delta_3, \delta_4 \in \mathbf{R}$, the four difference quotients

$$\begin{aligned} & \frac{F(p_1 + \delta_1, p_2, p_3, p_4) - F(p_1 - \delta_1, p_2, p_3, p_4)}{2 \cdot \delta_1}, \\ & \frac{F(p_1, p_2 + \delta_2, p_3, p_4) - F(p_1, p_2 - \delta_2, p_3, p_4)}{2 \cdot \delta_2}, \\ & \frac{F(p_1, p_2, p_3 + \delta_3, p_4) - F(p_1, p_2, p_3 - \delta_3, p_4)}{2 \cdot \delta_3}, \end{aligned}$$

and

$$\frac{F(p_1, p_2, p_3, p_4 + \delta_4) - F(p_1, p_2, p_3, p_4 - \delta_4)}{2 \cdot \delta_4}$$

are vectors with four entries, each. Together, the resulting 4×4 -Matrix is used as an approximation of the Jacobi-Matrix. This requires the rendition of eight versions of the considered marble movie image, for each iteration of the pseudo-Newton method.

The following table is split due to its width. It shows centroid positions determined for an initial set of parameters in row 0. Then from row 1 to row 20, pairs consisting of one parameter varied, and according centroid positions. Row 21 shows the resulting parameters and centroid positions after applying one pseudo-Newton iteration step, based on the difference quotients obtained from the variation of four parameters FramesPerRot, CenterX, CenterY, and RotOffsetZ.

row	FramesPerRot	ScaleFactor	CenterX	CenterY
0	80.870000	1478.000000	814.000000	600.000000
1	80.868000	1478.000000	814.000000	600.000000
2	80.872000	1478.000000	814.000000	600.000000
3	80.870000	1477.800000	814.000000	600.000000
4	80.870000	1478.200000	814.000000	600.000000
5	80.870000	1478.000000	812.000000	600.000000
6	80.870000	1478.000000	816.000000	600.000000
7	80.870000	1478.000000	814.000000	598.000000
8	80.870000	1478.000000	814.000000	602.000000
9	80.870000	1478.000000	814.000000	600.000000
10	80.870000	1478.000000	814.000000	600.000000
11	80.870000	1478.000000	814.000000	600.000000
12	80.870000	1478.000000	814.000000	600.000000
13	80.870000	1478.000000	814.000000	600.000000
14	80.870000	1478.000000	814.000000	600.000000
15	80.870000	1478.000000	814.000000	600.000000
16	80.870000	1478.000000	814.000000	600.000000
17	80.870000	1478.000000	814.000000	600.000000
18	80.870000	1478.000000	814.000000	600.000000
19	80.870000	1478.000000	814.000000	600.000000
20	80.870000	1478.000000	814.000000	600.000000
21	80.896880	1478.000000	833.254788	611.600585

row	K1	K2	RotOffsetZ
0	-0.000000038000000	0.0000000000000002600000000	0.000000
1	-0.000000038000000	0.0000000000000002600000000	0.000000
2	-0.000000038000000	0.0000000000000002600000000	0.000000
3	-0.000000038000000	0.0000000000000002600000000	0.000000
4	-0.000000038000000	0.0000000000000002600000000	0.000000
5	-0.000000038000000	0.0000000000000002600000000	0.000000
6	-0.000000038000000	0.0000000000000002600000000	0.000000
7	-0.000000038000000	0.0000000000000002600000000	0.000000
8	-0.000000038000000	0.0000000000000002600000000	0.000000
9	-0.000000039000000	0.0000000000000002600000000	0.000000
10	-0.000000037000000	0.0000000000000002600000000	0.000000
11	-0.000000038000000	0.0000000000000002200000000	0.000000
12	-0.000000038000000	0.0000000000000003000000000	0.000000
13	-0.000000038000000	0.0000000000000002600000000	-0.000500
14	-0.000000038000000	0.0000000000000002600000000	0.000500
15	-0.000000038000000	0.0000000000000002600000000	0.000000
16	-0.000000038000000	0.0000000000000002600000000	0.000000
17	-0.000000038000000	0.0000000000000002600000000	0.000000
18	-0.000000038000000	0.0000000000000002600000000	0.000000
19	-0.000000038000000	0.0000000000000002600000000	0.000000
20	-0.000000038000000	0.0000000000000002600000000	0.000000
21	-0.000000038000000	0.0000000000000002600000000	0.002045

row	ScaleErrorRed	ScaleErrorBlue	ScaleErrorY
0	0.000000000000	0.000000000000	0.000000000000
1	0.000000000000	0.000000000000	0.000000000000
2	0.000000000000	0.000000000000	0.000000000000
3	0.000000000000	0.000000000000	0.000000000000
4	0.000000000000	0.000000000000	0.000000000000
5	0.000000000000	0.000000000000	0.000000000000
6	0.000000000000	0.000000000000	0.000000000000
7	0.000000000000	0.000000000000	0.000000000000
8	0.000000000000	0.000000000000	0.000000000000
9	0.000000000000	0.000000000000	0.000000000000
10	0.000000000000	0.000000000000	0.000000000000
11	0.000000000000	0.000000000000	0.000000000000
12	0.000000000000	0.000000000000	0.000000000000
13	0.000000000000	0.000000000000	0.000000000000
14	0.000000000000	0.000000000000	0.000000000000
15	0.000010000000	0.000000000000	0.000000000000
16	0.000010000000	0.000000000000	0.000000000000
17	0.000000000000	-0.000010000000	0.000000000000
18	0.000000000000	0.000010000000	0.000000000000
19	0.000000000000	0.000000000000	-0.000010000000
20	0.000000000000	0.000000000000	0.000010000000
21	0.000000000000	0.000000000000	0.000000000000

row	x_red	y_red	x_green	y_green	x_blue	y_blue
0	746.259595	708.511135	747.314548	708.488914	747.516670	707.485232
1	746.259325	708.590907	747.313809	708.549130	747.516631	707.525139
2	746.259481	708.431491	747.315616	708.428833	747.516831	707.445477
3	745.941187	708.353591	746.992237	708.440049	747.189823	707.537591
4	746.575580	708.667947	747.635439	708.541387	747.840336	707.424412
5	754.460631	708.620628	755.601796	708.524804	755.802841	707.443282
6	738.062870	708.401490	739.032349	708.454679	739.233553	707.519835
7	745.795636	717.739852	747.195121	717.898504	747.690611	716.886621
8	746.723553	699.282188	747.440879	699.084567	747.344995	698.080091
9	745.166940	707.971002	746.386322	708.343029	746.570154	707.656500
10	747.348072	709.045148	748.241624	708.634338	748.461653	707.315677
11	746.065455	708.414307	747.174471	708.465178	747.372986	707.508557
12	746.452201	708.608542	747.454424	708.511732	747.658732	707.458449
13	746.840574	707.120104	747.473427	707.086154	747.301066	706.076401
14	745.675967	709.895522	747.158883	709.898377	747.731092	708.890124
15	746.236174	708.499519	747.314548	708.488914	747.516670	707.485232
16	746.282997	708.522752	747.314548	708.488914	747.516670	707.485232
17	746.259595	708.511135	747.314548	708.488914	747.492608	707.489377
18	746.259595	708.511135	747.314548	708.488914	747.540674	707.480980
19	746.260310	708.499620	747.314925	708.485182	747.516763	707.489548
20	746.258869	708.522664	747.314171	708.492646	747.516578	707.480918
21	667.924154	658.722915	667.887495	658.698651	667.844346	658.675866

While the initial alignment errors in row 0 have been

$$\begin{pmatrix} 746.259595 - 747.314548 \\ 708.511135 - 708.488914 \\ 747.516670 - 747.314548 \\ 707.485232 - 708.488914 \end{pmatrix} = \begin{pmatrix} -1.054953 \\ 0.022221 \\ 0, 202122 \\ -1, 003682 \end{pmatrix}, \quad (4)$$

in row 21, after the first iteration, these errors are

$$\begin{pmatrix} 667.924154 - 667.887495 \\ 658.722915 - 658.698651 \\ 667.844346 - 667.887495 \\ 658.675866 - 658.698651 \end{pmatrix} = \begin{pmatrix} 0.036659 \\ 0.024264 \\ -0.043149 \\ -0.022785 \end{pmatrix}. \quad (5)$$

The maximum norm, defined by $\left\| \begin{pmatrix} x_1 \\ \vdots \\ x_k \end{pmatrix} \right\|_\infty := \max\{|x_1|, \dots, |x_k|\}$, improved from

1.054953 to 0.043149, which means an improvement of alignment accuracy in terms of the maximum norm of a factor of about 24.

The next two iteration steps result in

- FramesPerRot=80.897941,

- ScaleFactor=1478.000000,
- CenterX= 833.582258,
- CenterY= 611.609518,
- K1=-0.000000038000000,
- K2= 0.00000000000000026000000000,
- RotOffsetZ= 0.002107,
- ScaleErrorRed= 0.000000000000,
- ScaleErrorBlue= 0.000000000000,
- ScaleErrorY= 0.000000000000,
- x0= 746.518708,
- y0= 719.796932,
- x1= 746.520894,
- y1= 719.804896,
- x2= 746.519305,
- y2= 719.802380,

and

- FramesPerRot=80.897883,
- ScaleFactor=1478.000000,
- CenterX= 833.673575,
- CenterY= 611.734550,
- K1=-0.000000038000000,
- K2= 0.00000000000000026000000000,
- RotOffsetZ= 0.002134,
- ScaleErrorRed= 0.000000000000,
- ScaleErrorBlue= 0.000000000000,
- ScaleErrorY= 0.000000000000,

- $x_0 = 746.142551$,
- $y_0 = 719.297888$,
- $x_1 = 746.144814$,
- $y_1 = 719.295555$,
- $x_2 = 746.143252$,
- $y_2 = 719.296657$.

The misalignment after the third pseudo-Newton iteration is

$$\begin{pmatrix} 746.142551 - 746.144814 \\ 719.297888 - 719.295555 \\ 746.143252 - 746.144814 \\ 719.296657 - 719.295555 \end{pmatrix} = \begin{pmatrix} -0.002263 \\ 0.002333 \\ -0.001562 \\ 0.001102 \end{pmatrix}, \quad (6)$$

hence a maximum norm of 0.002333. Since these alignment errors have been determined in renditions with 120 pixels per degree rather than about the 30 pixels per degree of the raw images, this maximum norm corresponds to a misalignment maximum norm of the considered example centroid of about 0.0005 raw pixels.

This highly accurate result is of course specific to the rendition method, the way to define centroids, and it needs to be determined anew for each marble movie image. Even then, the calibration is only valid for the particular centroid position. However, with the other parameters chosen reasonably, the local area of good alignment can be extended sufficiently far to obtain acceptable global RGB alignment.

Figure 4 compares the rendition of image #07C00543 before, and after calibration. The lower row is about 8-fold saturation enhanced. Comparing the limbs reveals a considerable improvement.



Figure 4: Comparison of pre- and post-calibration rendition of perijove-08 approach image JNCE_2017238_07C00543-V01-raw. The lower row is 8-fold saturation enhanced, in order to reveal RGB alignment inaccuracies. Credit: NASA / JPL-Caltech / SwRI / MSSS / Gerald Eichstädt.

4 Limitations and Future Work

4.1 Systematic Errors by Jupiter's Non-Uniform Color

A closer inspection of figure 4 reveals, that the calibrated image still isn't aligned perfectly in terms of the overall shape of Jupiter. The residual discrepancy with the centroid alignment appears to be an effect of the non-uniform colorization of Jupiter. In the example, the lower part of Jupiter appears cast to yellowish, while the upper part appears to be cast to bluish. Alignment of the centroids results in a small displacement of the blue centroid towards the bottom, resulting in a yellowish upper limb, and a bluish lower limb. Modeling Jupiter's colors on the basis of closer-up images bears the potential to adjust centroid alignment by systematic errors induced by Jupiter's non-uniform color.

Preliminary camera calibration by distant marble movie images should be sufficient to determine systematic centroid alignment effects.

4.2 Close-Up Images Require Modeling of Spacecraft Motion

Centroids can align in an excellent way, but limbs align poorly. The calibration method adjusts the model parameter FramesPerRot, in order to adjust for spacecraft motion and possible color asymmetry, with the observed effect at the limbs. See figure 5.

- FramesPerRot=81.055960
- ScaleFactor=1478.000000
- CenterX=815.646902
- CenterY=621.047285
- K1=-0.000000038000000
- K2=0.000000000000002600000000
- RotOffsetZ=0.003562
- ScaleErrorRed=0.000000000000
- ScaleErrorBlue=0.000000000000
- ScaleErrorY=0.000000000000
- x0=769.269856
- y0=750.189299
- x1=769.270970
- y1=750.190248

- $x_2=769.271840$
- $y_2=750.187521$



Figure 5: Post-calibration rendition of perijove-08 approach image JNCE_2017244_08C00057_V01-raw. It shows some misalignment at the limbs, despite excellent centroid alignment. Credit: NASA / JPL-Caltech / SwRI / MSSS / Gerald Eichstädt.

4.3 Dependency from Rendering Parameters

The position of the centroids as a function of background subtraction and gamma stretch remains to be investigated. Do camera artifacts play a significant role? Comparing unpatched with patched results can resolve this question. Effects of the particular decomposing method, of lossy data compression, point noise filtering, TDI, stray light remain to be investigated, or ruled out as relevant.

4.4 From an Underdetermined to an Overdetermined Method

RGB alignment of the centroid of a single marble movie image is highly accurate, since the method is underdetermined, i.e. the family of camera models has more degrees of freedom than the calibration method is able to nail down. There are several conceivable approaches to overcome this weakness. One of them is minimizing the sum of squares of misalignments

$$\frac{1}{m} \cdot \sum_{i=1}^m \left((r_{m,x} - g_{m,x})^2 + (r_{m,y} - g_{m,y})^2 + (b_{m,x} - g_{m,x})^2 + (b_{m,y} - g_{m,y})^2 \right) \quad (7)$$

over m marble movie images. As long as less than four degrees of freedom are added with each marble movie image, this method has at least the theoretical potential to nail down several more geometrical camera parameters.

There are several options to combine a fixed number of centroid-based calibrations. One of them is using PJ08 images that show Io and Europa. Aligning centroids of both moons at once reduced the degrees of freedom by eight.

The blue marble movie image JNCE_2016194_00B1823_V01 shows Jupiter twice. This can be used to determine Juno's rotation period in terms of interframe delay. Assuming a constant interframe delay over consecutive marble movie images, this value can be assumed as a known, when calibrating e.g. with color images #1822 or #1824.

When using other sources, like SPICE, the absolute centroid position of Jupiter can be estimated by rendering a theoretical reference Jupiter image. This narrows down an additional two degrees of freedom for each marble movie image.

Instead of an RMS method, the parameter manifolds with zero centroid alignment error can be approximated for more than one marble movie image. Intersecting these manifolds explicitly reduces the dimension of the manifolds, provided the number of degrees of freedom added by each marble movie image is smaller than the number of degrees of freedom the RGB alignment of one marble movie nails down. The manifold may turn out to be sufficiently smooth to be approximated by hyperplanes. This opens an approach with linear methods based on the full Jacobi matrix considering all modeled camera parameters.

5 Determining Juno's Rotation Period

5.1 Spy Files

The following eight spy-scripts are run with the `spy.exe` tool of the NAIF/SPICE tool set:

```
SAVE TO ..\spyout\spy_results_pj08_v01_Jupiter_SUN_JUPITER.txt;
```

```
LOAD \juno\spice\kernels\lsk\naif0012_dos.tls;
LOAD \juno\spice\kernels\sclk\JNO_SCLKSCET.00064_dos.tsc;
LOAD \juno\spice\kernels\fk\juno_v12_dos.tf;
LOAD \juno\spice\kernels\pck\pck00010_dos.tpc;
LOAD \juno\spice\kernels\ck\juno_sc_rec_170820_170826_v01.bc;
LOAD \juno\spice\kernels\ck\juno_sc_rec_170827_170902_v01.bc;
LOAD \juno\spice\kernels\ck\juno_sc_rec_170903_170909_v01.bc;
LOAD \juno\spice\kernels\spk\spk_rec_170728_170918_170922.bsp;
```

```
SET START TIME 2017-08-26T09:00:00.000;
SET STOP TIME 2017-09-06T23:00:00.000;
SET STEP SIZE 300.0;
SET TIME FORMAT YYYY-MM-DDTHR:MN:SC.###;
SET OBSERVER JUPITER;
SET TARGET SUN;
SET FRAME IAU_JUPITER;
SET PAGE WIDTH 255;
SET NUMBER FORMAT F20.8;
SHOW ALL;
```

```
SAMPLE POSITION;
```

```
SAVE TO ..\spyout\spy_results_pj08_v01_Jupiter_SUN_J2000.txt;
```

```
LOAD \juno\spice\kernels\lsk\naif0012_dos.tls;
LOAD \juno\spice\kernels\sclk\JNO_SCLKSCET.00064_dos.tsc;
LOAD \juno\spice\kernels\fk\juno_v12_dos.tf;
LOAD \juno\spice\kernels\pck\pck00010_dos.tpc;
LOAD \juno\spice\kernels\ck\juno_sc_rec_170820_170826_v01.bc;
LOAD \juno\spice\kernels\ck\juno_sc_rec_170827_170902_v01.bc;
LOAD \juno\spice\kernels\ck\juno_sc_rec_170903_170909_v01.bc;
LOAD \juno\spice\kernels\spk\spk_rec_170728_170918_170922.bsp;
```

```
SET START TIME 2017-08-26T09:00:00.000;
SET STOP TIME 2017-09-06T23:00:00.000;
SET STEP SIZE 300.0;
SET TIME FORMAT YYYY-MM-DDTHR:MN:SC.###;
SET OBSERVER JUPITER;
SET TARGET SUN;
SET FRAME J2000;
SET PAGE WIDTH 255;
SET NUMBER FORMAT F20.8;
SHOW ALL;

SAMPLE POSITION;

SAVE TO ..\spyout\spy_results_pj08_v01_JUPITER_JUNO_JUNOCAM.txt;

LOAD \juno\spice\kernels\lsk\naif0012_dos.tls;
LOAD \juno\spice\kernels\sclk\JNO_SCLKSCET.00064_dos.tsc;
LOAD \juno\spice\kernels\fk\juno_v12_dos.tf;
LOAD \juno\spice\kernels\pck\pck00010_dos.tpc;
LOAD \juno\spice\kernels\ck\juno_sc_rec_170820_170826_v01.bc;
LOAD \juno\spice\kernels\ck\juno_sc_rec_170827_170902_v01.bc;
LOAD \juno\spice\kernels\ck\juno_sc_rec_170903_170909_v01.bc;
LOAD \juno\spice\kernels\spk\spk_rec_170728_170918_170922.bsp;

SET START TIME 2017-08-26T09:00:00.000;
SET STOP TIME 2017-09-06T23:00:00.000;
SET STEP SIZE 300.0;
SET TIME FORMAT YYYY-MM-DDTHR:MN:SC.###;
SET OBSERVER JUNO;
SET TARGET JUPITER;
SET FRAME JUNO_JUNOCAM;
SET PAGE WIDTH 255;
SET NUMBER FORMAT F20.8;
SHOW ALL;

SAMPLE POSITION;

SAVE TO ..\spyout\spy_results_pj08_v01_JUPITER_J2000.txt;

LOAD \juno\spice\kernels\lsk\naif0012_dos.tls;
LOAD \juno\spice\kernels\sclk\JNO_SCLKSCET.00064_dos.tsc;
LOAD \juno\spice\kernels\fk\juno_v12_dos.tf;
LOAD \juno\spice\kernels\pck\pck00010_dos.tpc;
```



```
LOAD \juno\spice\kernels\ck\juno_sc_rec_170820_170826_v01.bc;  
LOAD \juno\spice\kernels\ck\juno_sc_rec_170827_170902_v01.bc;  
LOAD \juno\spice\kernels\ck\juno_sc_rec_170903_170909_v01.bc;  
LOAD \juno\spice\kernels\spk\spk_rec_170728_170918_170922.bsp;
```

```
SET START TIME 2017-08-26T09:00:00.000;  
SET STOP TIME 2017-09-06T23:00:00.000;  
SET STEP SIZE 300.0;  
SET TIME FORMAT YYYY-MM-DDTHR:MN:SC.###;  
SET OBSERVER JUNO;  
SET TARGET JUPITER;  
SET FRAME J2000;  
SET PAGE WIDTH 255;  
SET NUMBER FORMAT F20.8;  
SHOW ALL;
```

```
SAMPLE POSITION;
```

```
SAVE TO ..\spyout\spy_results_pj08_v01_Jupiter_EARTH_JUPITER.txt;
```

```
LOAD \juno\spice\kernels\lsk\naif0012_dos.tls;  
LOAD \juno\spice\kernels\sclk\JNO_SCLKSCET.00064_dos.tsc;  
LOAD \juno\spice\kernels\fk\juno_v12_dos.tf;  
LOAD \juno\spice\kernels\pck\pck00010_dos.tpc;  
LOAD \juno\spice\kernels\ck\juno_sc_rec_170820_170826_v01.bc;  
LOAD \juno\spice\kernels\ck\juno_sc_rec_170827_170902_v01.bc;  
LOAD \juno\spice\kernels\ck\juno_sc_rec_170903_170909_v01.bc;  
LOAD \juno\spice\kernels\spk\spk_rec_170728_170918_170922.bsp;
```

```
SET START TIME 2017-08-26T09:00:00.000;  
SET STOP TIME 2017-09-06T23:00:00.000;  
SET STEP SIZE 300.0;  
SET TIME FORMAT YYYY-MM-DDTHR:MN:SC.###;  
SET OBSERVER JUPITER;  
SET TARGET EARTH;  
SET FRAME IAU_JUPITER;  
SET PAGE WIDTH 255;  
SET NUMBER FORMAT F20.8;  
SHOW ALL;
```

```
SAMPLE POSITION;
```

```
SAVE TO ..\spyout\spy_results_pj08_v01_Jupiter_EARTH_J2000.txt;
```

```
LOAD \juno\spice\kernels\lsk\naif0012_dos.tls;  
LOAD \juno\spice\kernels\sclk\JNO_SCLKSCET.00064_dos.tsc;  
LOAD \juno\spice\kernels\fk\juno_v12_dos.tf;  
LOAD \juno\spice\kernels\pck\pck00010_dos.tpc;  
LOAD \juno\spice\kernels\ck\juno_sc_rec_170820_170826_v01.bc;  
LOAD \juno\spice\kernels\ck\juno_sc_rec_170827_170902_v01.bc;  
LOAD \juno\spice\kernels\ck\juno_sc_rec_170903_170909_v01.bc;  
LOAD \juno\spice\kernels\spk\spk_rec_170728_170918_170922.bsp;
```

```
SET START TIME 2017-08-26T09:00:00.000;  
SET STOP TIME 2017-09-06T23:00:00.000;  
SET STEP SIZE 300.0;  
SET TIME FORMAT YYYY-MM-DDTHR:MN:SC.###;  
SET OBSERVER JUPITER;  
SET TARGET EARTH;  
SET FRAME J2000;  
SET PAGE WIDTH 255;  
SET NUMBER FORMAT F20.8;  
SHOW ALL;
```

```
SAMPLE POSITION;
```

```
SAVE TO ..\spyout\spy_results_pj08_v01_EARTH_JUNO_JUNOCAM.txt;
```

```
LOAD \juno\spice\kernels\lsk\naif0012_dos.tls;  
LOAD \juno\spice\kernels\sclk\JNO_SCLKSCET.00064_dos.tsc;  
LOAD \juno\spice\kernels\fk\juno_v12_dos.tf;  
LOAD \juno\spice\kernels\pck\pck00010_dos.tpc;  
LOAD \juno\spice\kernels\ck\juno_sc_rec_170820_170826_v01.bc;  
LOAD \juno\spice\kernels\ck\juno_sc_rec_170827_170902_v01.bc;  
LOAD \juno\spice\kernels\ck\juno_sc_rec_170903_170909_v01.bc;  
LOAD \juno\spice\kernels\spk\spk_rec_170728_170918_170922.bsp;
```

```
SET START TIME 2017-08-26T09:00:00.000;  
SET STOP TIME 2017-09-06T23:00:00.000;  
SET STEP SIZE 300.0;  
SET TIME FORMAT YYYY-MM-DDTHR:MN:SC.###;  
SET OBSERVER JUNO;  
SET TARGET EARTH;
```

```

SET FRAME JUNO_JUNOCAM;
SET PAGE WIDTH 255;
SET NUMBER FORMAT F20.8;
SHOW ALL;

SAMPLE POSITION;

SAVE TO ..\spyout\spy_results_pj08_v01_EARTH_J2000.txt;

LOAD \juno\spice\kernels\lsk\naif0012_dos.tls;
LOAD \juno\spice\kernels\sclk\JNO_SCLKSCET.00064_dos.tsc;
LOAD \juno\spice\kernels\fk\juno_v12_dos.tf;
LOAD \juno\spice\kernels\pck\pck00010_dos.tpc;
LOAD \juno\spice\kernels\ck\juno_sc_rec_170820_170826_v01.bc;
LOAD \juno\spice\kernels\ck\juno_sc_rec_170827_170902_v01.bc;
LOAD \juno\spice\kernels\ck\juno_sc_rec_170903_170909_v01.bc;
LOAD \juno\spice\kernels\spk\spk_rec_170728_170918_170922.bsp;

SET START TIME 2017-08-26T09:00:00.000;
SET STOP TIME 2017-09-06T23:00:00.000;
SET STEP SIZE 300.0;
SET TIME FORMAT YYYY-MM-DDTHR:MN:SC.###;
SET OBSERVER JUNO;
SET TARGET EARTH;
SET FRAME J2000;
SET PAGE WIDTH 255;
SET NUMBER FORMAT F20.8;
SHOW ALL;

SAMPLE POSITION;

```

5.2 Selecting Vectors

The output file `spy_results_pj08_v01_EARTH_J2000.txt` contains a line

```

2017-08-27T10:05:00.000
850637184.89526725 309403045.11710411 115064679.97264077

```

It corresponds to a trajectory point at ISO time 2017-08-27T10:05:00.000. A similar line is extracted from each of the eight spy-outputs for the same ISO time, resulting in the eight vectors

```

73480.60573969 3904387.85185212 1812863.59408533

```

```
850637184.89526725 309403045.11710411 115064679.97264077
-1580567.19259611 1395084.17289434 -3753886.76015923
-912396671.53284132 3930741.23273347 -8402873.35625181
```

```
850563704.28952765 305498657.26525199 113251816.37855543
714612809.19946539 366084242.61353719 139517021.16372886
305303192.47555655 857128188.50366771 -41656304.38830633
166817215.15543187 796592170.12292540 -42036533.90699159
```

These vectors are used to infer all necessary transformations between coordinate systems.

5.3 Rendering Masked Jupiter Images

From the above vectors, Jupiter's one bar MacLaurin spheroid, and an assumed camera model, together with some manual corrections, a mask can be rendered, where a rendered Jupiter image should fit in exactly. Juno's rotation period is considered as a parameter of the camera model. A reference time a few minutes away from the nearest actual image avoids ambiguities of the thus far only semi-automatically determined rotation period.

Figure 6 shows a semi-panorama of a masked Jupiter marble rendition. Figure 7 shows crop thereof, 8-fold enlarged. The resolution of the rendition has been 10 pixels per degree. Note, that the camera has a resolution of about 30 pixels per degree.

Images from #07C00543 of ISO time 2017-08-26T09:00:33.114 to #07C00601 of ISO time 2017-08-26T23:30:17.396 showed a good consistence with an assumed constant Juno rotation period of 30.164400 seconds, using SPICE trajectory vectors of 2017-08-26T10:05:00.000 as a reference system.

The time span of 13.5 hours relative to the reference system results in 13.5 hours \times approximately 120 Juno rotations, hence about 1620 rotations, or $1620 \cdot 3600$ pixels = 5832000 pixels, for rendition with 10 pixels per degree. A relative error of the rotation period of 10^{-6} hence shows up in a vertical displacement of the mask relative to the rendered image of 5 to 6 pixels. Visually, errors of about half a pixel can be discerned pretty readily. However, Juno's rotations appears to fluctuate a bit, such that a highly accurate determination of Juno's rotation period down to an accuracy of less then 10 microseconds doesn't seem to make much sense in the context of this article.

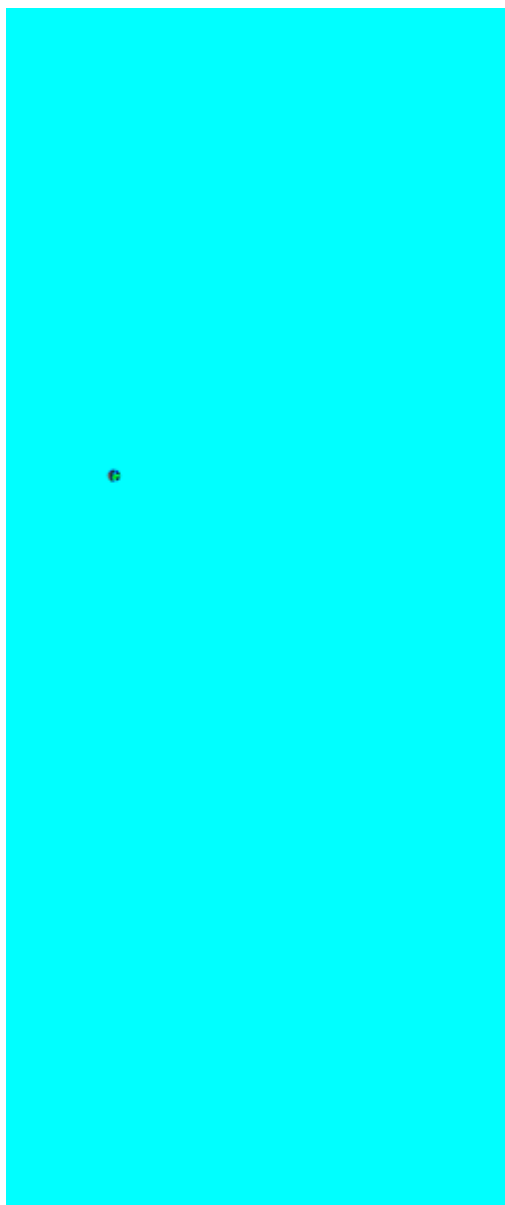


Figure 6: Masked rendered image #07C00603, vertical fov 180 degrees, horizontal fov 75 degrees. Credit: NASA / JPL-Caltech / SwRI / MSSS / Gerald Eichstädt.

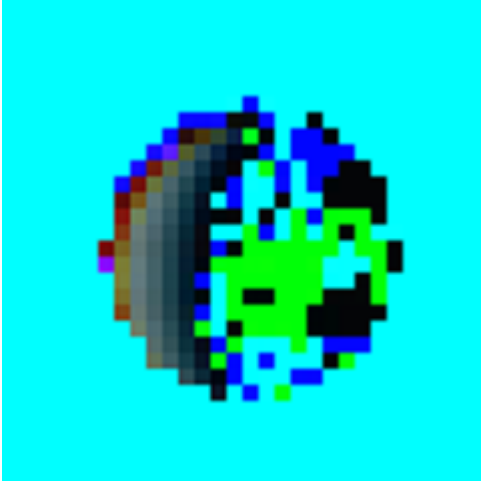


Figure 7: Masked rendered image #07C00603, 10 pixels per degree, crop, 8-fold enlarged.
Credit: NASA / JPL-Caltech / SwRI / MSSS / Gerald Eichstädt.

6 Selected Preliminary Results

6.1 Experiments with Chromatic Aberration for Blue Channel

This short series of experiments with early inbound PJ08 marble movie images assumes

- FramesPerRot=80.870000. This value is derived from a rather accurate determination of a Juno rotation period of 30.164400 seconds, and 0.373 seconds interframe delay as provided by the metadata `JNCE_2017238_07C00543_V01.json`, corrected by one millisecond according to the SPICE instrument kernel `juno_junocam_v02.ti`. A presumed tiny change to 30.164475 seconds per Juno rotation, beginning with `#07C00603`, doesn't change FramesPerRot significantly.
- ScaleFactor unknown, but should be near 1478.0.
- CenterX unknown, but expected to be near 814.0.
- CenterY unknown, but roughly near 600.0.
- K1=-0.000000038000000.
- K2=0.000000000000002600000000.
- RotOffsetZ unknown, but amount should be smaller than 0.01.
- ScaleErrorRed=0.000000000000.
- ScaleErrorBlue unknown, to be determined approximately.
- ScaleErrorY=0.000000000000.

For image `#07C00543`, setting ScaleErrorBlue=0.0 resulted in

- ScaleFactor=1477.461529.
- CenterX=833.221607.
- CenterY=611.607528.
- RotOffsetZ=0.002110.

This assumption wasn't explored any further, since CenterX is too far off the expected value.

For image `#07C00543`, setting ScaleErrorBlue=0.001 resulted in

- ScaleFactor=1472.719008.
- CenterX=772.976249.

- CenterY=613.817608.
- RotOffsetZ=-0.000434.

This assumption wasn't explored any further, neither, since CenterX is again too far off the expected value, but in the opposite direction, this time.

Linear interpolation suggests a value of ScaleErrorBlue=0.0003. Applying the calibration with this assumption for RGB images #07C00543 to #07C00611 returned:

image #	ScaleFactor	CenterX	CenterY	RotOffsetZ
07C00543	1475.874844	813.530567	612.239177	0.001246
07C00545	1475.986118	811.198694	610.596265	0.000834
07C00547	1476.280887	812.251536	610.157202	0.000763
07C00549	1476.245193	810.993811	609.438131	0.000688
07C00551	1476.693527	813.568369	609.081074	0.000644
07C00553	1476.370881	815.526385	612.582527	0.001437
07C00555	1476.160662	811.916767	612.138368	0.001214
07C00557	1476.565435	814.552532	611.329713	0.001118
07C00559	1476.322136	811.892018	611.253317	0.001069
07C00561	1476.559907	813.081075	609.469176	0.000742
07C00593	1476.818953	815.225972	611.458369	0.001209
07C00595	1476.942818	816.933438	612.218129	0.001398
07C00597	1476.583171	814.546662	612.436393	0.001351
07C00599	1477.129579	815.408849	610.006063	0.000900
07C00601	1477.080499	817.336239	610.902811	0.001105
07C00603	1477.030322	815.210574	609.107326	0.000663
07C00605	1476.772789	816.765251	612.771134	0.001501
07C00607	1477.211708	816.921436	609.071947	0.000752
07C00609	1477.130115	816.991473	609.610557	0.000858
07C00611	1476.404042	814.013277	612.537499	0.001390

Figure 8 represents these values as diagrams. This reveals an apparent correlation of ScaleFactor with OpticalAxisX, and of OpticalAxisY with RotOffsetZ. Figure 9 makes this presumed correlation more explicite.

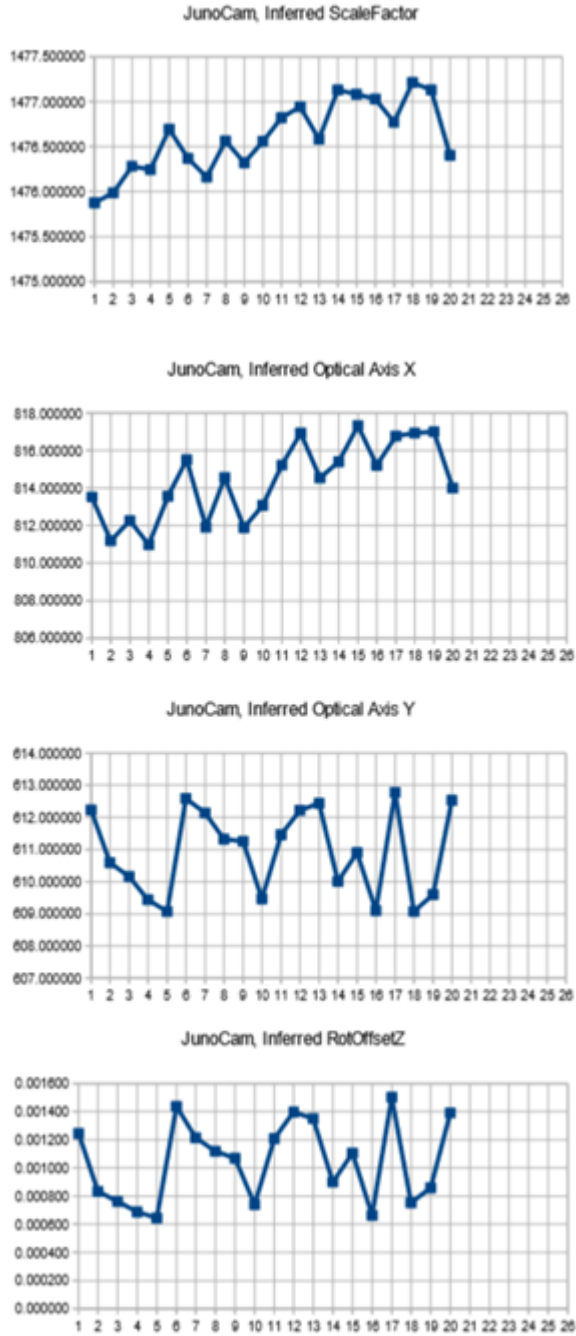


Figure 8: Graphical representation of perijove-08 approach calibration run with an assumed chromatic error of 0.0003 for the blue channel. Credit: NASA / JPL-Caltech / SwRI / MSSS / Gerald Eichstädt.

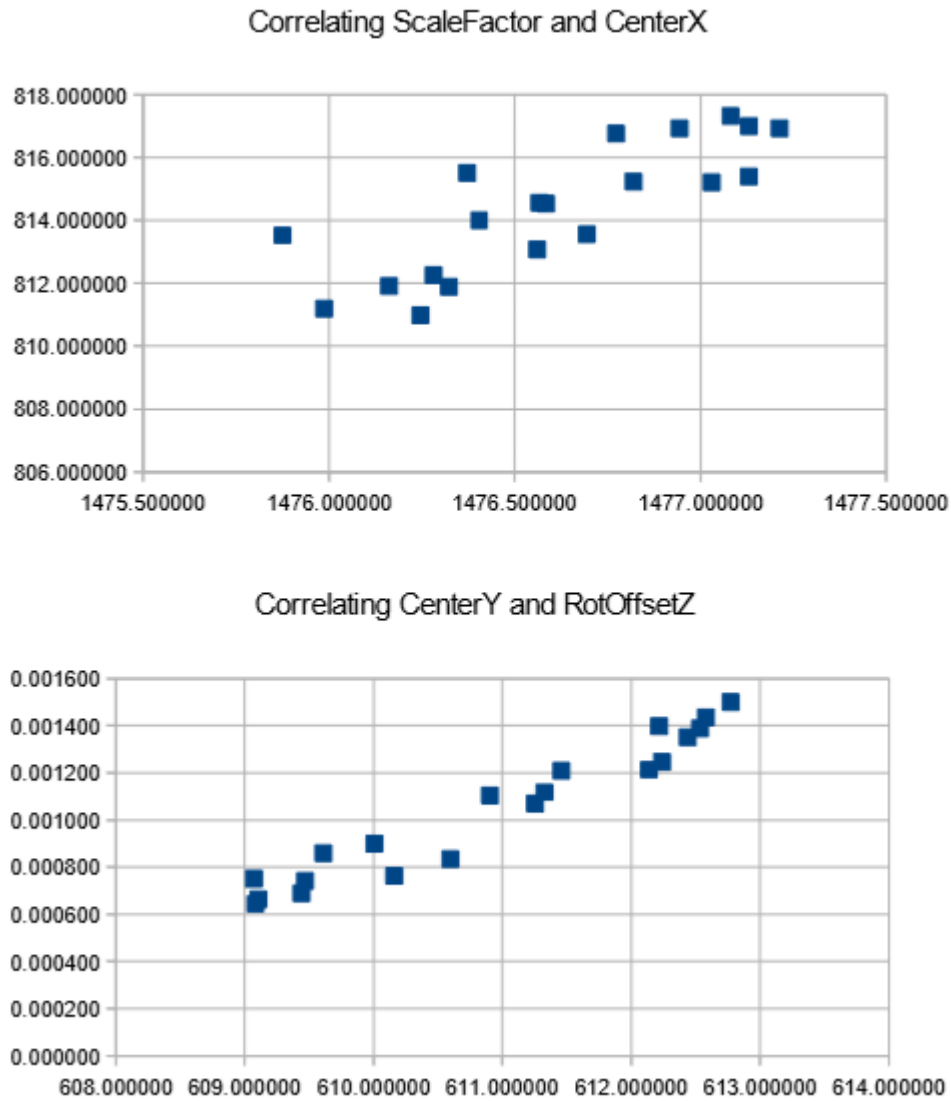


Figure 9: Graphical representation of the correlation between inferred parameters of perijove-08 approach calibration run with an assumed chromatic error of 0.0003 for the blue channel. Credit: NASA / JPL-Caltech / SwRI / MSSS / Gerald Eichstädt.

6.2 Experiment with Chromatic Aberration for Red and Blue

This experiment with early inbound PJ08 marble movie images assumes

- FramesPerRot=80.870000.
- ScaleFactor unknown, but should be near 1478.0.
- CenterX=814.0.
- CenterY=600.0.
- K1=-0.000000038000000.
- K2=0.000000000000002600000000.
- RotOffsetZ unknown, but amount should be smaller than 0.01.
- ScaleErrorRed unknown.
- ScaleErrorBlue unknown.
- ScaleErrorY=0.000000000000.

The according calibration run suggests a chromatic aberration for the red channel rather than the blue channel. This might hint towards a correlation between the chosen y-position of the optical axis, and the chromatic aberration of the red and blue channels with respect to the green channel within the context of the assumptions about the other model parameters.

The diagrams of figure 10 don't suggest a strong correlation between the inferred parameters of the according calibration run.

For RGB images #07C00543 to #07C00621 returned the following values in detail:

image #	ScaleFactor	RotOffsetZ	ScaleErrorRed	ScaleErrorBlue
07C00543	1476.398833	0.000843	0.000742582927	0.000029873392
07C00545	1476.575966	0.000490	0.000693787673	-0.000153509582
07C00547	1476.572078	0.000550	0.000697539180	-0.000003761767
07C00549	1476.823991	0.000617	0.000588613112	0.000013821956
07C00551	1477.167380	0.000634	0.000486185116	0.000012396413
07C00553	1476.826791	0.001470	0.000702083354	-0.000722962549
07C00555	1476.777251	0.000896	0.000755590802	0.000018452561
07C00557	1476.808391	0.000560	0.000773732317	0.000145756702
07C00559	1476.787236	0.000889	0.000762030461	-0.000288706216
07C00561	1477.054688	0.000484	0.000534686725	-0.000252252282
07C00593	1477.180206	0.000872	0.000724342129	-0.000006054623
07C00595	1477.393471	0.000881	0.000636701529	-0.000397310030
07C00597	1477.120584	0.000576	0.000714808529	-0.000180529812
07C00599	1477.525738	0.000717	0.000542778102	-0.000017329985
07C00601	1477.081128	0.000413	0.000720852235	0.000055504660
07C00603	1477.195263	0.000098	0.000582640514	0.000006274651
07C00605	1476.904718	0.000841	0.000882865324	0.000015141798
07C00607	1477.250834	0.000128	0.000588644123	0.000019979678
07C00609	1477.315584	0.000396	0.000568496564	-0.000173427874
07C00611	1476.733250	0.000772	0.000819249197	0.000016835570
07C00613	1476.862923	0.000733	0.000756715485	-0.000241857738
07C00615	1477.056223	0.000404	0.000541748789	0.000011488594
07C00617	1477.149211	0.000405	0.000710311636	0.000027141193
07C00619	1477.208110	0.000366	0.000673080414	0.000022110739
07C00621	1476.708367	0.000959	0.000938836643	0.000012940330

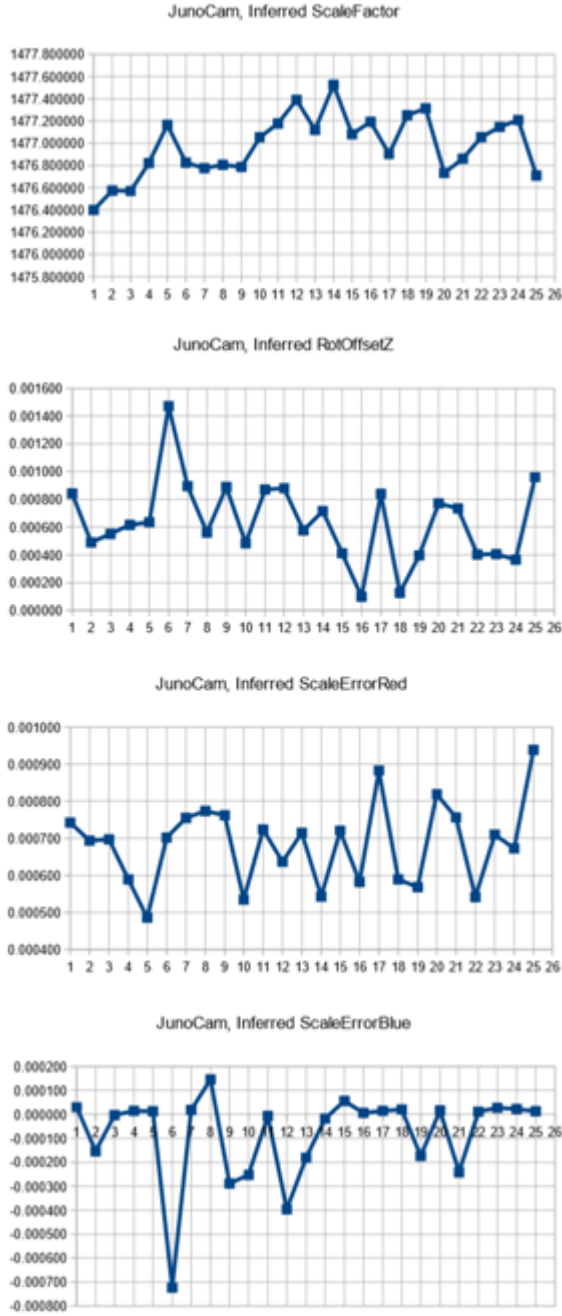


Figure 10: Graphical representation of a perijove-08 approach calibration run with a fixed optical axis at $x=814.0$, and $y=600.0$. Credit: NASA / JPL-Caltech / SwRI / MSSS / Gerald Eichstädt.

6.3 Using Best-Fit Calibrations Obtained from Star Images

Two calibration runs have been performed with parameters derived from a JunoCam instrument kernel provided by SPICE. This kernel is based on a best-fit model for cruise images of stars.

6.3.1 ScaleFactor Inferred

A first calibration run is based on the following assumptions:

- FramesPerRot=80.870000.
- ScaleFactor unknown, but should be near 1478.0.
- CenterX=814.210000.
- CenterY=596.520000.
- K1=-0.000000059624209.
- K2=0.00000000000027381910.
- RotOffsetZ unknown, but amount should be smaller than 0.01.
- ScaleErrorRed unknown.
- ScaleErrorBlue unknown.
- ScaleErrorY=0.000000000000.

Note, that the Browinan distortion parameter K1 is almost doubled, and the paramter K2 more than the 10-fold of the previous runs.

The calibration run failed for the second iteration step. So here the results after the first iteration of the pseudo-Newton method, with a non-negligible residual misalignment:

image #	ScaleFactor	RotOffsetZ	ScaleErrorRed	ScaleErrorBlue
07C00543	1472.692398	0.001650	-0.002088394864	-0.001009777013
07C00545	1473.158619	0.000666	-0.002723750743	-0.000628234869
07C00547	1473.615179	0.001328	-0.002404507511	-0.000601612511
07C00549	1473.288607	0.000995	-0.002318764700	-0.000797203112
07C00551	1473.159639	-0.000016	-0.002137751013	-0.000494675984
07C00553	1472.891475	0.000257	-0.002067897007	-0.000617778975
07C00555	1473.063519	0.001780	-0.002062010497	-0.001018603276
07C00557	1473.167377	0.000225	-0.002939236957	-0.000429156086
07C00559	1473.180332	0.001344	-0.002280193146	-0.000865660381
07C00561	1473.759742	-0.000346	-0.002620647081	-0.000461307413
07C00593	1473.030104	0.001782	-0.001958780192	-0.001021079473
07C00595	1473.395192	0.000624	-0.002114741583	-0.000714900251
07C00597	1472.799739	0.001276	-0.002445466978	-0.000781882607
07C00599	1473.177612	0.000250	-0.002078307224	-0.000561419115
07C00601	1473.898884	0.002459	-0.002135865459	-0.000930617115
07C00603	1473.516094	0.000844	-0.002809626646	-0.000596992159
07C00605	1473.730362	0.000689	-0.002768668952	-0.000612843554
07C00607	1473.709410	0.000922	-0.002820883809	-0.000635008199
07C00609	1472.581345	0.001843	-0.001966392310	-0.001063515669
07C00611	1473.121701	0.002818	-0.001940113552	-0.000995213369
07C00613	1473.021214	0.000848	-0.002471801758	-0.000689619443
07C00615	1472.622573	0.002251	-0.001744779956	-0.001229461774
07C00617	1473.851932	0.001833	-0.002452013637	-0.000846404720
07C00619	1473.608160	0.001519	-0.002393176908	-0.000809886880
07C00621	1473.088310	0.000808	-0.002662043918	-0.000575411277

The values are visualized in figure 11.

Here the list of centroid positions in the respective crops, as an idea of the residual misalignments:

image #	x_red	y_red	x_green	y_green	x_blue	y_blue
07C00543	723.845081	669.277097	723.988013	669.190769	723.917751	669.366980
07C00545	724.497669	659.493782	724.452656	659.538053	724.476167	659.527618
07C00547	744.361093	723.624832	744.357740	723.692435	744.341100	723.692416
07C00549	743.700914	715.096725	743.838997	715.001309	743.836503	715.027424
07C00551	743.878418	708.791138	743.863345	708.970392	743.920889	708.944133
07C00553	742.645070	716.757828	742.759697	717.073494	742.753976	716.968156
07C00555	741.731344	722.242393	741.759744	722.054144	741.726536	722.224116
07C00557	741.959494	723.097266	741.584660	723.569327	741.618819	723.674401
07C00559	740.976708	712.050510	740.971602	711.974498	740.919150	712.094422
07C00561	742.391262	704.154714	742.455685	704.226027	742.195328	703.871853
07C00593	733.828555	696.743186	733.844233	696.603144	733.807965	696.898876
07C00595	734.691480	688.701562	734.747172	688.762716	734.667057	688.658925
07C00597	732.601698	690.834023	732.683564	691.065068	732.655464	691.340893
07C00599	733.790359	684.607503	733.737580	684.792467	733.820984	684.825208
07C00601	733.194521	696.562610	733.361192	696.203973	733.259592	696.239552
07C00603	732.575035	685.660358	732.640042	685.806932	732.599837	685.912706
07C00605	732.764097	684.478050	732.692749	684.586577	732.553841	684.388990
07C00607	731.983580	691.464058	732.183096	691.473044	732.051265	691.533604
07C00609	729.665466	699.596031	729.840079	699.619420	729.751441	700.231030
07C00611	730.002077	695.502733	729.984551	695.257592	729.927388	695.452637
07C00613	730.124114	681.395772	730.076204	681.440602	730.059278	681.473792
07C00615	728.610103	687.266805	728.629842	686.920192	728.666985	687.483385
07C00617	729.983171	692.585842	730.236384	692.292920	730.153254	692.253162
07C00619	729.266017	685.173525	729.422350	684.840929	729.399948	684.819530
07C00621	728.544588	678.321056	728.202124	678.815393	728.103871	678.855739

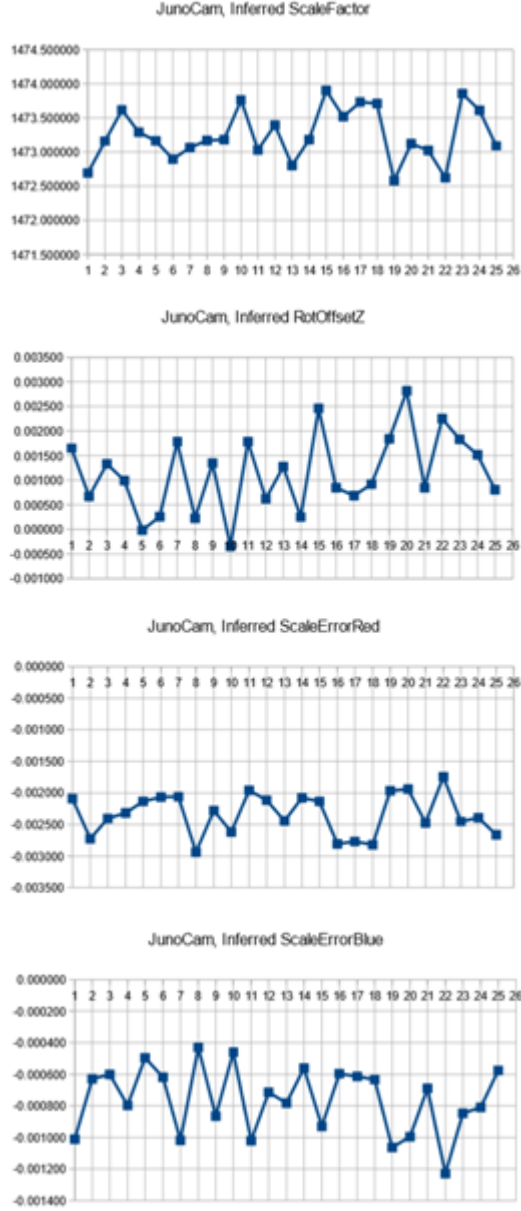


Figure 11: Graphical representation of a perijove-08 approach calibration run with a fixed optical axis at $x=814.21$, $y=596.52$, $K1=-0.000000059624209$, and $K2=0.00000000000002738191$. Chromatic aberration as well as the ScaleFactor are inferred. Credit: NASA / JPL-Caltech / SwRI / MSSS / Gerald Eichstädt.

6.3.2 Non-Square Pixels Allowed

The second calibration run uses the scale factor derived from the instrument kernel, and allows for non-square pixels:

- FramesPerRot=80.870000.
- ScaleFactor=1480.590000.
- CenterX=814.210000.
- CenterY=596.520000.
- K1=-0.000000059624209.
- K2=0.000000000000027381910.
- RotOffsetZ unknown, but amount should be smaller than 0.01.
- ScaleErrorRed unknown.
- ScaleErrorBlue unknown.
- ScaleErrorY=unknown.

The according calibration run returned the following values for the unknown parameters:

image #	RotOffsetZ	ScaleErrorRed	ScaleErrorBlue	ScaleErrorY
07C00543	0.001038	-0.002278034732	-0.000794217964	-0.005257020961
07C00545	0.000607	-0.002739579549	-0.000618883824	-0.005040275808
07C00547	0.001664	-0.002271488871	-0.000669858715	-0.004746010043
07C00549	0.001051	-0.002260352065	-0.000799309991	-0.005087290581
07C00551	0.000282	-0.002056058095	-0.000636824173	-0.004920421280
07C00553	0.000911	-0.001803802406	-0.000896965784	-0.005099553715
07C00555	0.001527	-0.002126082443	-0.000927346567	-0.005021662238
07C00557	0.000121	-0.002985050228	-0.000403634492	-0.004990136998
07C00559	0.000858	-0.002454402431	-0.000714155983	-0.004951576781
07C00561	0.000736	-0.002210980341	-0.000688835578	-0.005101000129
07C00593	0.000698	-0.002324256170	-0.000665871000	-0.004948809459
07C00595	0.001171	-0.001915395213	-0.000892128865	-0.004979852315
07C00597	0.001207	-0.002447011613	-0.000759036089	-0.004892212532
07C00599	0.000029	-0.002157608671	-0.000536207467	-0.004813875110
07C00601	0.000755	-0.002744165485	-0.000509431649	-0.004700561669
07C00603	0.001332	-0.002554371257	-0.000686973775	-0.004702869659
07C00605	0.001961	-0.002260589179	-0.000876999386	-0.004765404311
07C00607	0.000754	-0.002858511279	-0.000560159308	-0.004639364035
07C00609	0.000944	-0.002168198860	-0.000772701751	-0.004982796845
07C00611	0.001632	-0.002424454372	-0.000726055486	-0.004887199522
07C00613	0.000996	-0.002417282923	-0.000722429694	-0.005099670454
07C00615	0.000687	-0.002282938911	-0.000742474276	-0.005150526749
07C00617	0.001391	-0.002561766732	-0.000724559395	-0.004753756919
07C00619	0.001205	-0.002506356893	-0.000745041464	-0.004814703308
07C00621	0.000650	-0.002710142717	-0.000507084195	-0.005129718079

The values are visualized in figure 12.

Residual misalignments:

image #	x_red	y_red	x_green	y_green	x_blue	y_blue
07C00543	736.991776	667.445851	737.062583	667.490639	737.054208	667.507763
07C00545	736.665643	659.289174	736.596256	659.360308	736.607874	659.364887
07C00547	755.672833	724.659159	755.676265	724.630818	755.673496	724.674463
07C00549	755.707958	715.142644	755.749969	715.105666	755.783799	715.241718
07C00551	755.876864	709.813517	755.864415	709.839560	755.864871	709.803249
07C00553	755.133835	718.972781	755.038855	718.948274	754.998219	718.904485
07C00555	754.165690	721.534364	754.128293	721.365521	754.131268	721.439123
07C00557	754.101448	722.788117	753.730217	723.279467	753.771699	723.364764
07C00559	753.236664	710.558368	753.205895	710.621367	753.183932	710.629674
07C00561	753.327782	707.081841	753.258652	707.109843	753.326633	707.275196
07C00593	746.568812	693.480719	746.558382	693.597859	746.547738	693.599108
07C00595	746.346134	690.316207	746.314438	690.269398	746.297788	690.346727
07C00597	745.417205	691.074822	745.463083	691.003390	745.441992	690.964082
07C00599	745.969822	684.115964	745.966142	684.229501	745.908120	684.095531
07C00601	744.754860	690.989712	744.627275	691.332624	744.626233	691.337742
07C00603	744.182080	687.376923	744.141337	687.217242	744.151873	687.294724
07C00605	743.687492	688.456342	743.687493	688.144204	743.654028	688.151479
07C00607	743.374974	690.955686	743.484526	690.998897	743.451238	690.996817
07C00609	743.311123	697.325570	743.240707	697.217122	743.149200	697.392820
07C00611	742.499068	691.858566	742.442747	691.931125	742.402791	691.943803
07C00613	742.488584	681.886179	742.446113	681.862670	742.453417	681.911478
07C00615	742.153703	682.540520	742.214845	682.545132	742.164856	682.725988
07C00617	741.304321	691.018483	741.357370	690.984512	741.330497	691.032796
07C00619	740.829020	684.047433	740.940148	683.905737	740.881229	683.937446
07C00621	740.935605	677.745659	740.534862	678.347398	740.511094	678.418754

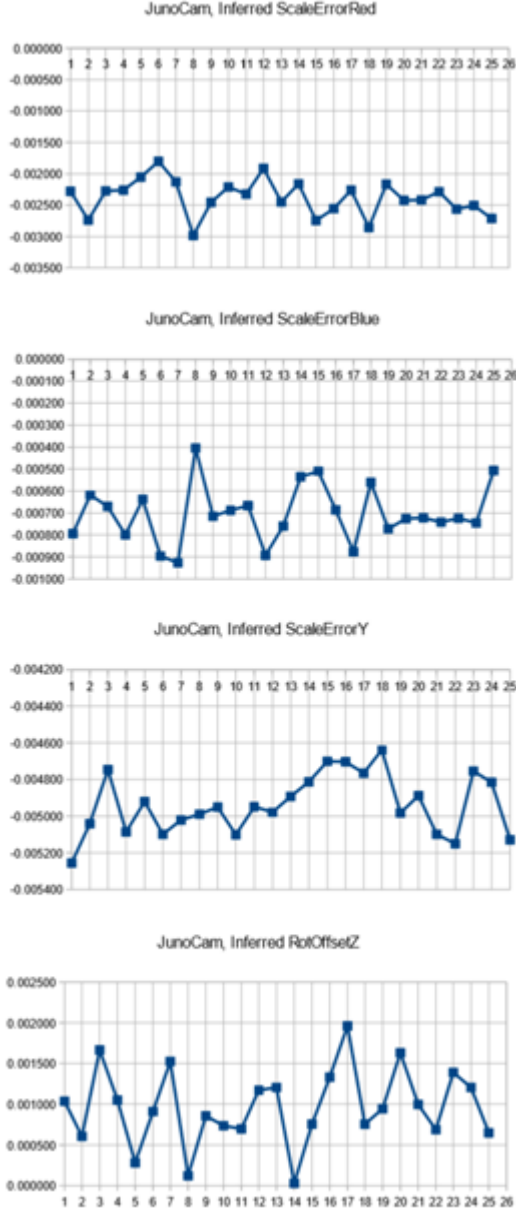


Figure 12: Graphical representation of a perijove-08 approach calibration run with a fixed optical axis at $x=814.21$, $y=596.52$, $K1=-0.000000059624209$, and $K2=0.000000000000002738191$, $ScaleFactor=1480.59$. Chromatic aberration as well as the deviation of the pixels from square are inferred. Credit: NASA / JPL-Caltech / SwRI / MSSS / Gerald Eichstädt.

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